# King Abdulaziz University Faculty of Engineering 

# Mechanical Engineering Department 

MEP460
Heat Exchanger Design

MATLAB Introduction

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## 1-Introduction

* MATLAB is a very powerful programming software used by engineers and scientists
* The software is available for students and faculty members at KAU
* MATLAB has several toolboxes for different fields

https://www.mathworks.com/academia/tah-portal/king-abdulaziz-university-40773215.html


## Some of MATLAB toolboxes

## What Toolboxes are available to you?

1.MATLAB
2.Simulink
3.MATLAB Distributed Computing Server (MDCS)
4.Aerospace Blockset
5.Aerospace Toolbox
6.Antenna Toolbox
7.Audio System Toolbox
8.Automated Driving System Toolbox
9.Bioinformatics Toolbox
10.Communications System Toolbox
11.Computer Vision System Toolbox
12.Control System Toolbox
13.Curve Fitting Toolbox
14.Data Acquisition Toolbox
15.Database Toolbox
16.Datafeed Toolbox
17.DSP System Toolbox
18.Econometrics Toolbox
19.Embedded Coder
20.Filter Design HDL Coder
21.Financial Toolbox
22.Financial Instruments Toolbox
23.Fixed-Point Designer
24.Fuzzy Logic Toolbox
25.Global Optimization Toolbox
26. GPU Coder
27. HDL Coder
28. HDL Verifier
29. Image Acquisition Toolbox
30. Image Processing Toolbox
31. Instrument Control Toolbox
32. LTE HDL Toolbox
33. LTE System Toolbox
34. Mapping Toolbox
35. MATLAB Compiler SDK
36. MATLAB Coder
37. MATLAB Compiler
38. MATLAB Report Generator
39. Model Predictive Control Toolbox
40. Model-Based Calibration Toolbox
41. Neural Network Toolbox
42. OPC Toolbox
43. Optimization Toolbox
44. Parallel Computing Toolbox
45. Partial Differential Equation Toolbox
46. Phased Array System Toolbox
47. Polyspace Bug Finder
48. Polyspace Code Prover
49. Powertrain Blockset
50. Predictive Maintenance Blockset
51. RF Blockset
52. RF Toolbox
53. Risk Management Toolbox
54. Robotics System Toolbox
55. Robust Control Toolbox
56. Signal Processing Toolbox
57. SimBiology
58. Simscape Driveline
59. Simscape Electronics
60. SimEvents
61. Simscape Fluids
62. Simscape Power Systems
63. Simscape Multibody
64. Simscape
65. Simulink 3D Animation
66. Simulink Check
67. Simulink Code Inspector
68. Simulink Coder
69. Simulink Coverage
70. Simulink Control Design
71. Simulink Design Optimization
72. Simulink Design Verifier
73. Simulink Desktop Real-Time
74. Simulink PLC Coder
75. Simulink Real-Time
76. Simulink Report Generator
77. Simulink Test
78. Spreadsheet Link
79. Stateflow
80. Statistics and Machine Learning Toolbox
81. Symbolic Math Toolbox
82. System Identification Toolbox
83. Text Analytics Toolbox
84. Trading Toolbox
85. Thingspeak
86. Trading Toolbox
87. Vehicle Dynamics Blockset
88. Vehicle Network Toolbox
89. Vision HDL Toolbox
90. Wavelet Toolbox
91. WLAN System Toolbox

## Free MATLAB alternative programs

- GNU octave https://www.gnu.org/software/octave/index
- Scilab
https://www.scilab.org/



## 2-How to get help in MATLAB

## A- Using MATLAB environment

write in the command screen:

- help general [General information]
- demo [ visual help for MATLAB]
- help fun_name [for example help plot]
- help lang [programming language construct]
- help elmat [ help on elementary matrices]
- help graphics [handle graphics]
- help funfun [help on functions]

You can press of any outcome from the above help for more help in each topic

## B-Utilizing the internet

- Lots of sites and courses free
- Youtube just write MATLAB help, MATLAB tutorials or MATLAB your choice of topic
- Lots of courses notes and pdf files
- pdf books


## 3-Basics

```
>> a=10
a=
    10
>> b=1:10 % b is a column vector of length 10
b}
    Columns 1 through 10
        1
    c=[1;2;3;4;5]
    % c is a row vector of length 5
    z=[12 3 10; 4 5 6 20;7 8 9 30] % z a 2D
    vector 3 rows and 4 columns
z =
        1
        4
        7 8 9 30
    >> z(2,3)
    % gives }
    w=1:3:20 % w is a vector starting with 1 to 20
    and increment is 3
```

size(b) will give 110
size(c) will give 51

```
\[
\mathrm{z}=[12310 ; 45620 ; 78930] \% \text { z a 2D }
\]
\begin{tabular}{llll}
1 & 2 & 3 & 10 \\
4 & 5 & 6 & 20 \\
7 & 8 & 9 & 30
\end{tabular}
```


## 3-Basics

## Some useful commands

$$
W=10
$$

\% used for comment statement
clc to clear the screen
$\omega=5$
clear to clear all the variables in workspace
who to show the variables in the workspace
whos to show more information about the variables
Is list of files in the current directory

- save fname.mat $\rightarrow$ save the variables in workspace and values in fname.mat file
" load fname.mat $\rightarrow$ to load the variables back to workspace

Variables in MATLAB are case sensitive i.e. $x$ is different than $X$

## 3-Basics

## \% for log base 10 use $y=\log 10(x)$

\% for In use
$y=\log (x)$
\% for examples
\% if $x=10$ then
$\mathrm{y} 1=\log 10(10)$
\% will give 1.0 and
y2= $\log (10)$
Wil give 2.3026

## 4-m-functions

```
Function y=myfun(x)
y=output arguments.
myfun =function name
x = input arguments
function y=simple_fun01(Re,Pr)
% file name fun01
% this is a simple function to
calculate
% Nu for internal turbulent
% Nu=0.023 (Re^ 0.8)*Pr^0.4
% See Incropera Heat transfer
book
y=0.023*(Re^0.8)*Pr^0.4
end
\% if you type in the command window
W=simple_fun01(10000,5)
\% To get
\(\mathrm{W}=69.393\)
```


## 4-m-functions

```
function y=simple_fun02(Re, Pr,Process)
% insert information about the function
% input:
% Re, Pr and Process
% Process is character either H for heating
Or
% C cold process
% output Nu
if Process =='H'
    n=0.4
    disp('Heating')
elseif Process =='C'
    n=0.3
    disp('Cooling')
end
y}=0.023*(R\mp@subsup{e}{}{\wedge}0.8)* Pr^^
end
```

Nu=simple_fun02(10000,5,'H')
$\mathrm{Nu}=69.393$

## 4-m-functions

Array input and output

```
function y=fun07(x1,x2)
% write information about the function
% so that you can access the help
% by writing help name of the function
% i.e. for our example write help fun07
% filename=fun07.m
% another example of simple function
% y=x1^2+x2^2
% notice if x1 and x2 are vectors then the above
equation
% should be written as
    y=x1.^2+x2.^2
    end
```

Example:

$$
\begin{aligned}
& s 1=[1: 3], s 2=[7: 9] \\
& Q=\text { fun } 07(s 1, s 2) \\
& Q=[506890]
\end{aligned}
$$

## 5-FOR \& IF statements

```
clc
clear
n=1:10
for i=1:10
    if i <=5
        b (i) =100
        else
        b (i) =b (i-1) *2
        end
end
% to exit for loop or while loop
use break
B(1) ... B(5)=100
B(6)=200,B(7)=400,B(8)=800,B(9)=1600,B(10)=3200
```


## 6-Simple Plotting

```
ClC
clear
% simple plot example
% filename t_plot_00
x=[1:10]; Y=[[\begin{array}{lllllllllll}{2}&{5}&{7}&{8}&{7}&{6}&{5}&{4}&{3}\end{array}]
2];
plot (x,y)
xlabel('0') % use \ for
Greek letters
ylabel('y')
grid on % show grids in x and y
coordinate
```



## 6-Simple plotting

```
ClC
clear
x=0.1:pi/10:10*pi
y=sin(x)
z=y./x
plot(x,y,x,z)
%plot(x,z)
grid on
legend('sin(x)', 'sin(x)/x')
xlabel('Angle [radian]')
```



## 7-Logical operators

| $==$ | Equal to |
| :--- | :--- |
| $\sim=$ | Not equal to |
| $<$ | Less than |
| $<=$ | Less than or equal |
| $>$ | Greater than |
| $>=$ | Greater than or equal |
| $\&$ | And |
| $\mid$ | Or |
| $\sim$ | Not |
| xor | Exclusive or |

## 8- Interpolation functions- (interp1 function)

If you have two vectors of values and you want to interpolate values, you can use the MATLAB function interp1

Given the saturated T \& P for water, find the saturated pressure at $\mathrm{T}=283 \mathrm{~K}$
$\mathrm{T}=\left[\begin{array}{lll}273.15 & 275.0280 .0290 .0300 .0305 .0\end{array}\right]$
$\mathrm{P}=\left[\begin{array}{ll}0.00610 .00697000990 .013870 .019170 .02617\end{array}\right]$

Water saturation data (Ref: Incropera)

| $T[K]$ | $P$ [bar] |
| :--- | :--- |
| 273.15 | 0.00611 |
| 275.0 | 0.00697 |
| 280.0 | 0.00990 |
| 290.0 | 0.01387 |
| 300.0 | 0.01917 |
| 305.0 | 0.02617 |

Format: $x p=i n t e r p 1(T, P, x t)$
xp=interp1(T,P,283)
Will give
$\mathrm{Xp}=0.0123$ bar

## 8- Interpolation functions- (interp1 function) Interpolation functions General use

$\mathrm{Vq}=$ interp1( $\mathrm{X}, \mathrm{V}, \mathrm{Xq}, \mathrm{METHOD})$ specifies the interpolation method.
The available methods are:
> 'linear' - (default) linear interpolation
> 'nearest' - nearest neighbor interpolation
> 'next' - next neighbor interpolation
> 'previous' - previous neighbor interpolation
> 'spline' - piecewise cubic spline interpolation (SPLINE)
> 'pchip' - shape-preserving piecewise cubic interpolation
> 'cubic' - same as 'pchip'
> 'v5cubic' - the cubic interpolation from MATLAB 5, which does not extrapolate and uses 'spline' if $X$ is not equally spaced.

## 9-2 D interpolation use of interp2 Command

| $+24$ | t_interp2b.m x | tfprintf.m $\times$ | tfprintf2.m $\times$ | fprintf_example_00.m |  | t_interp2a.m |  | t_interp1a.ı |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | \% File name t_interp2b.m |  |  |  |  |  |  |  |
| 2 | \% test for 2d intrpolation i.e. interp2.m function |  |  |  |  |  |  |  |
| 3 | \% Vq = interp2 (X,Y,V,Xq,Yq) interpolates to find Vq, the values of the |  |  |  |  |  |  |  |
| 4 | \% underlying 2-D function $V$ at the query points in matrices Xq and Yq . |  |  |  |  |  |  |  |
| 5 | \% | ces X and | specify th | points at which | 为 |  |  | iven. |
| 6 | \% $\mathrm{q}=$ interp2(..., METHOD) specifies alternate methods. The default |  |  |  |  |  |  |  |
| 7 | \% is linear interpolation. Available methods are: |  |  |  |  |  |  |  |
| 8 | \% |  |  |  |  |  |  |  |
| 9 | \% | ' - nearest neighbor interpolation |  |  |  |  |  |  |
| 10 | \% | near' - bilinear interpolation |  |  |  |  |  |  |
| 11 | \% | line' - spline interpolation |  |  |  |  |  |  |
| 12 | \% | - bicubic interpolation as long as the data is |  |  |  |  |  |  |
| 13 | \% | uniformly spaced, otherwise the same as 'spline' |  |  |  |  |  |  |
| 14 |  |  |  |  |  |  |  |  |
| 15 | \% Example from youtube. See the video which spanish |  |  |  |  |  |  |  |
| 16 - | $\mathrm{x}=\left[\begin{array}{llllllll}0.0 & 0.25 & 0.5 & 0.75 & 1.0 & 1.25 & 1.5\end{array}\right]$ |  |  |  |  |  |  |  |
| $17-$ | $\mathrm{y}=\left[\begin{array}{llllll}0.0 & 0.25 & 0.5 & 0.75 & 1.0\end{array}\right]$ |  |  |  |  |  |  |  |
| 18 - | $\mathrm{t}=\left[\begin{array}{llllllll}60.00 & 56.47 & 48.00 & 38.40 & 30.00 & 23.41 & 18.46 ;\end{array}\right.$ |  |  |  |  |  |  |  |
| 19 | 56.47 53.33 45.71 36.92 29.09 22.86 18.11; |  |  |  |  |  |  |  |
| 20 | $48.0045 .7140 .0033 .10 \quad 26.67 \quad 21.3317 .14$; |  |  |  |  |  |  |  |
| 21 | $38.40 \quad 36.92 \quad 33.10 \quad 28.24 \quad 23.41 \quad 19.20 \quad 15.74 ;$ |  |  |  |  |  |  |  |
| 22 |  |  |  |  |  |  |  |  |
| 23 - | $\mathrm{vq}=$ interp2 (x,y,t, 0.6,0.3) |  |  |  |  |  |  |  |
| 24 - | $\operatorname{mesh}(\mathrm{x}, \mathrm{y}, \mathrm{t})$ |  |  |  |  |  |  |  |
| $25-$ | surface ( $\mathrm{x}, \mathrm{y}, \mathrm{t}$ ) |  |  |  |  |  |  |  |
| $26-$ | xlabel('x'); ylabel('y'); zlabel('Temperature') |  |  |  |  |  |  |  |

## 9-2 D interpolation use of interp2 Command


use of mesh and surface
See the file t_interp2b.m command to plot 2D plot

## IO Input data into MATLAB

- Use the command load to load numerical data file
- Use import Data built in app
- Use the fopen and fscanf commands to open a file and read the data
- You can read (copy) from Excel file and paste into working space


## 10- Input data for MATLAB Use of load command

If the data is numerical values, then one can

| n |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
| oil4_num_only.dat |  |  |  |  |  |
| 0273.0 | 899.1 | 1796.0 | $385.000 \mathrm{e}-2$ | $147.0 \mathrm{e}-3$ | 47000.0 |
| 0280.0 | 895.3 | 1827.0 | $217.000 \mathrm{e}-2$ | $144.0 \mathrm{e}-3$ | 27000.0 |
| 0290.0 | 890.0 | 1868.0 | $099.900 \mathrm{e}-2$ | $145.0 \mathrm{e}-3$ | 12900.0 |
| 0300.0 | 884.1 | 1909.0 | $048.600 \mathrm{e}-2$ | $145.0 \mathrm{e}-3$ | 06400.0 |
| 0310.0 | 877.9 | 1951.0 | $025.300 \mathrm{e}-2$ | $145.0 \mathrm{e}-3$ | 03400.0 |
| 0320.0 | 871.8 | 1993.0 | $014.100 \mathrm{e}-2$ | $141.0 \mathrm{e}-3$ | 01965.0 |
| 0330.0 | 865.8 | 2035.0 | $008.360 \mathrm{e}-2$ | $143.0 \mathrm{e}-3$ | 01205.0 |
| 0340.0 | 859.9 | 2076.0 | $005.310 \mathrm{e}-2$ | $139.0 \mathrm{e}-3$ | 00793.0 |
| 0350.0 | 853.9 | 2118.0 | $003.560 \mathrm{e}-2$ | $138.0 \mathrm{e}-3$ | 00546.0 |
| 0360.0 | 847.8 | 2161.0 | $002.560 \mathrm{e}-2$ | $138.0 \mathrm{e}-3$ | 00395.0 |
| 0370.0 | 841.8 | 2206.0 | $001.860 \mathrm{e}-2$ | $137.0 \mathrm{e}-3$ | 00300.0 |
| 0380.0 | 836.0 | 2250.0 | $001.410 \mathrm{e}-2$ | $136.0 \mathrm{e}-3$ | 00233.0 |
| 0390.0 | 830.6 | 2294.0 | $001.100 \mathrm{e}-2$ | $135.0 \mathrm{e}-3$ | 00187.0 |
| 0400.0 | 825.1 | 2337.0 | $000.874 \mathrm{e}-2$ | $134.0 \mathrm{e}-3$ | 00152.0 |
| 0410.0 | 818.9 | 2381.0 | $000.698 \mathrm{e}-2$ | $133.0 \mathrm{e}-3$ | 00125.0 |
| 0420.0 | 812.1 | 2427.0 | $000.564 \mathrm{e}-2$ | $133.0 \mathrm{e}-3$ | 00103.0 |
| 0430.0 | 806.5 | 2471.0 | $000.470 \mathrm{e}-2$ | $132.0 \mathrm{e}-3$ | 00088.0 |

then you will get a matrix of size $(17,6)$ with the name oil4_num_only
then you can write each variable in a separate variables T=oil4_num_only(:,1) \% Temperature rho=oil4_num_only(:,2) \% density
Cp=oil4_num_only(:,3) \% Cp

## 11- Read data file using the built-in app called import Data

You can also use import file on the menu bar under home of the MATLAB


There are several options to select from which that meet your requirement.
Then you can either load the data into the workspace or generate $m$ file
Import Data

See the generated script fie read_oil_data when importing the file : oil3_with_source.dat

## 11- Read data fie using the built-in app called import Data

## Reading the fie name oil3_with_source.dat using import



## 12- Use the fopen and fscanf commands to read data from a file

\% Example of using fscanf command clear
fid=fopen('filetest.dat')
\% fid is file identification given by MATAB
ll=fgetl(fid)
\% fgetl is just to read the first line
$\mathrm{b}=\mathrm{fscanf}(\mathrm{fid}, ' \% \mathrm{~g}$ ',[7 inf] $)$
$\% \% \mathrm{~g}$ is the format of the numbers, [7 inf] seven columns
$\mathrm{b}^{\prime} \%$ this is now as like the original data fclose(fid) \% to close the file
filename: fietest.dat

| st | Year | Month | Day | Hour | Tdry | Tdew |
| :--- | :---: | :---: | :---: | :---: | :---: | :--- |
| 00010 | 1990 | 01 | 01 | 01 | 50.01 | 30.9 |
| 00010 | 1990 | 01 | 01 | 02 | 70.90 | 40.17 |
| 00010 | 1990 | 01 | 01 | 03 | 50.01 | 30.9 |
| 00010 | 1990 | 01 | 01 | 04 | 70.90 | 40.17 |
| 00010 | 1990 | 01 | 01 | 05 | 50.01 | 30.9 |
| 00010 | 1990 | 01 | 01 | 06 | 70.90 | 40.17 |
| 00010 | 1990 | 01 | 01 | 07 | 50.01 | 30.9 |
| 00010 | 1990 | 01 | 01 | 10 | 70.90 | 40.17 |
| 00010 | 1990 | 01 | 01 | 11 | 50.01 | 30.9 |
| 00010 | 1990 | 01 | 01 | 12 | 70.90 | 40.17 |
| 00010 | 1990 | 01 | 01 | 13 | 50.01 | 30.9 |
| 00010 | 1990 | 01 | 01 | 14 | 70.90 | 40.17 |

## 12- Use the fopen and fscanf commands to read data from a fie

```
Editor - C:\Users\ASUS\Documents\MATLAB\work\tfscanf.m
t_water_tpp_incrop.m \(\times\) interplate_00.m \(\times\) t_interp1.m \(\times\) water_tpp_Incrop.m \(\times\) fun07.m \(\times\) read_oil_dai
% test read file
% tfscanf.m
clear
clc
fid=fopen('filetest.dat')
%[t1 t2 t3 t4 t5 t6 t7]=textread('filetest.dat','%s %s %s %s %s %s %s\n',1)
%[a1,cr]=fscanf(fid,'%s %s')
ll=fgetl(fid)
% fgetl is just to read the first line
%b=fscanf(fid,'%g %g %g %g %g %g %g')
b=fscanf(fid,'%g',[7 inf])
% %g is the format of the numbers, [7 inf] seven cloumns and up to the end
% of the file
c=b' % c vector now is the same as the original data in the file fietext.dat
% b=textread('filetest.dat','\n %g')
    fclose(fid); % this is to close the file
```


## 13- Import data from Excel



## 13- Import data from Excel

Import 2D variable from Excel


You can change the unnamed created variable to any name you want

## Outputs from MATLAB

1-use disp command to show your results on the screen
2-vector and matrices can be copied to Excel or Microsoft Word from the workspace 3-Plotting the data using the plotting command then the figures can be copied to Word or save as an image in different format
4-Using the function fprintf (results can be shown on screen or save on a file

## 14-Using disp command to display results on the screen

Example using disp command

```
%fprintf
        I
|
x = 1:10;
y = x.^2 +2;
z = sqrt(x);
disp('Table using disp command'), disp('x
disp([\mp@subsup{x}{}{\prime},\mp@subsup{y}{}{\prime},\mp@subsup{z}{}{\prime}])
```


## 15- Outputs from MATLAB into Excel or Word

## Reading the file filetext.txt and move the data into Excel and Word

```
% test read file
% tfscanf.m
clear
clc
fid=fopen('filetest.dat')
%[t1 t2 t3 t4 t5 t6 t7]=textread('filetest.dat','%s %s %s %s %s %s %s\n',1
%[a1,cr]=fscanf(fid,'%s %s')
ll=fgetl(fid)
% fgetl is just to read the first line
%b=fscanf(fid,'%g %g %g %g %g %g %g')
b=fscanf(fid,'%g',[7 inf])
% %g is the format of the numbers, [7 inf] seven cloumns and up to the end
% of the file
c=b' % c vector now is the same as the original data in the file fietext.dat
% b=textread('filetest.dat','\n %g')
fclose(fid); % this is to close the file
```


## Exce



## Word

copying output data from MTLAB into WORD

| 10 | 1990 | 1 | 1 | 1 | 50.0100000000000 | 30.9000000000000 |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 10 | 1990 | 1 | 1 | 2 | 70.9000000000000 | 40.1700000000000 |  |  |
| 10 | 1990 | 1 | 1 | 3 | 50.0100000000000 | 30.9000000000000 |  |  |
| 10 | 1990 | 1 | 1 | 4 | 70.9000000000000 | 40.1700000000000 |  |  |
| 10 | 1990 | 1 | 1 | 5 | 50.0100000000000 | 30.9000000000000 |  |  |
| 10 | 1990 | 1 | 1 | 6 | 70.9000000000000 | 40.1700000000000 |  |  |
| 10 | 1990 | 1 | 1 | 7 | 50.0100000000000 | 30.9000000000000 |  |  |
| 10 | 1990 | 1 | 1 | 10 | 70.9000000000000 | 40.1700000000000 |  |  |
| 10 | 1990 | 1 | 1 | 11 | 50.0100000000000 | 30.9000000000000 |  |  |
| 10 | 1990 | 1 | 1 | 12 | 70.9000000000000 | 40.1700000000000 |  |  |
| 10 | 1990 | 1 | 1 | 13 | 50.0100000000000 | 30.9000000000000 |  |  |
| 10 | 1990 | 1 | 1 | 14 | 70.9000000000000 | 40.1700000000000 |  |  |
| 10 |  | 1990 | 1 |  | 1 | 1 | 50.0100000000000 | 30.9000000000000 |
| 10 |  | 1990 | 1 |  | 1 | 2 | 70.9000000000000 | 40.170000000000 |
| 10 |  | 1990 | 1 |  | 1 | 3 | 50.0100000000000 | 30.9000000000000 |
| 10 |  | 1990 | 1 |  | 1 | 4 | 70.9000000000000 | 40.170000000000 |
| 10 |  | 1990 | 1 |  | 1 | 5 | 50.0100000000000 | 30.9000000000000 |
| 10 |  | 1990 | 1 |  | 1 | 6 | 70.9000000000000 | 40.1700000000000 |
| 10 |  | 1990 | 1 |  | 1 | 7 | 50.0100000000000 | 30.9000000000000 |
| 10 |  | 1990 | 1 |  | 1 | 10 | 70.9000000000000 | 40.1700000000000 |
| 10 |  | 1990 | 1 |  | 1 | 11 | 50.0100000000000 | 30.9000000000000 |
| 10 |  | 1990 | 1 |  | 1 | 12 | 70.9000000000000 | 40.1700000000000 |
| 10 |  | 1990 | 1 |  | 1 | 13 | 50.0100000000000 | 30.9000000000000 |
| 10 |  | 1990 | 1 | 1 | 14 | 70.9000000000000 | 40.1700000000000 |  |

## 16- Output the results in term of graphs

Function example: Planck's black body radiation

## Editor - C:\Users\ASUS\Documents\MATLAB\work\eblam.m

```
+12 interplate_00.m x t_interp1.m x wluwer_tpp_Incrop.m x fun07.m x read_oil_data.m x tfscanf.m x/ eblam.m x
1 % spectral emissive power from a black body at temperature T (K)
% file_name =eblam.m
function y=eblam(lam,T)
% this function calcuate the emissive power emitted from a black body kept
    % at T [Kilven]. Planck's law
    % lam is the wavelength in mico-meter
    c1=3.7405e-16
    c2=0.0143879
    lamm=lam*1.e-6
    y=c1./(lamm.^5.* (exp (c2./(lamm.*T))-1))
    % Notice the vector multiplication, division and power
    end
                E E,\lambda}=\frac{\mp@subsup{C}{1}{}}{\mp@subsup{\lambda}{}{5}(\mp@subsup{e}{}{(\mp@subsup{C}{2}{}/\lambdaT)}-1)
```

If lam is a vector, then the output of the function is a vector of the same length

## 16- Output the results in term of graphs

Function example: Planck's black body radiation

```
Z Editor - C:\Users\ASUS\Documents\MATLAB\work\t_eblam.m
```

```
t_eblam.m × eblam.m x oil_tpp_Incrop.m x t_water_tpp_incr
```

t_eblam.m × eblam.m x oil_tpp_Incrop.m x t_water_tpp_incr
% This is atest for the function eblam.m
% This is atest for the function eblam.m
% file name t_eblam
% file name t_eblam
cld
cld
clear
clear
T=[300 500 700] % body temp in [K]
T=[300 500 700] % body temp in [K]
x=0:0.1:20 % wavelength in [micro-meter]
x=0:0.1:20 % wavelength in [micro-meter]
q1=eblam(x,T(1))
q1=eblam(x,T(1))
q2=eblam(x,T(2))
q2=eblam(x,T(2))
q3=eblam(x,T (3))
q3=eblam(x,T (3))
plot(x,q1)
plot(x,q1)
hold on
hold on
plot(x,q2)
plot(x,q2)
hold on
hold on
plot(x,q3)
plot(x,q3)
legend('T=300 K','T=500 K','T=700 K')
legend('T=300 K','T=500 K','T=700 K')
xlabel('Wave length \mu m')
xlabel('Wave length \mu m')
ylabel('Spectral emissive power, W/m^2 \mu m')

```
    ylabel('Spectral emissive power, W/m^2 \mu m')
```



Utilizing the function eblam to generate the behavior of the spectral emissive power with wavelength

## 17- Use of fopen and fprintf commands to output data

fprintf command can be used to output data to either the screen or a file using fopen command

Example File name
fprintf_example_00

```
clc
    clear
    % filename: fprintf_example_00
    x = 0:.1:1;
        y = [x; exp(x)]; % y has 2 rows. Columns is 11
        [r,c]=size(y) % rows and columns of the vector y
        fid = fopen('exp1.txt','w');
        fprintf(fid,'%6.2f %12.8f\n',y) % write in columns.
        % Here each column has two values
    z=[11 2 3 4 5; 6 7 8 9 10; 11 12 13 14 15]
    zt=z' % z transpose
    [rz,cz]=size(zt)
    % here the number of columns is 3 (i.e. cz=5
    fprintf(fid,'
```

$\qquad$

``` \n')
    fprintf(fid,'%6.2f %6.2f %6.2f %6.2f %6.2f \n',zt)
    fclose(fid);
```

You can write
Type exp1.txt to see the file on the screen

## Output file: exp1.txt

| 0.00 | 1.00000000 |
| :--- | :--- |
| 0.10 | 1.10517092 |
| 0.20 | 1.22140276 |
| 0.30 | 1.34985881 |
| 0.40 | 1.49182470 |
| 0.50 | 1.64872127 |
| 0.60 | 1.82211880 |
| 0.70 | 2.01375271 |
| 0.80 | 2.22554093 |
| 0.90 | 2.45960311 |
| 1.00 | 2.71828183 |


| 1.00 | 2.00 | 3.00 | 4.00 | 5.00 |
| ---: | ---: | ---: | ---: | ---: |
| 6.00 | 7.00 | 8.00 | 9.00 | 10.00 |
| 11.00 | 12.00 | 13.00 | 14.00 | 15.00 |

## 18-Using MATLAB fsolve function

If you have several equations in several unknowns, you can use fsolve built in MATLAB function to solve these equations

## procedure

$>$ Create an $m$-function where you calculate the values of the function at any given value of the variables say $x$
> Assume guess values for the solution in a vector say $x 0$
$>$ issue the commands ( assuming we have two equations in two unknows

```
x0=[1 3] % initial guess for the solution
x= fsolve(@(x) fun_name(x), x0,options)
```

x is the solution vector for the given equations

## 18-Using MATLAB fsolve function

## simple example

Two equations in two unknowns to be solved for x 1 and x 2

$$
x_{1}+2 x_{1} x_{2}+x_{2}^{2}=23 \quad 5 x_{1}+x_{1}^{2}-3 x_{2}=5
$$

create an $m$-function with function equal zeros in the right hand side i.e.

$$
F(1)=x_{1}+2 x_{1} x_{2}+x_{2}^{2}-23 \quad F(2)=5 x_{1}+x_{1}^{2}-3 x_{2}-5
$$

```
function F=fun05(x)
```

\% Here we have two functions $F(1)$ and $F(2)$
\% functions of $x 1$ and $x 2$ to be solved together
\% to find $x 1$ and $x 2$ when $F(1)$ and $F(2)$ are zeros
\% Notice that if one operates this function with \% two
different values of $x 1 \& x 2$, the function calculate $F(1)$ and $F(2)$
$F(1)=x(1)+2 * x(1) * x(2)+x(2) \wedge 2-23$
$\mathrm{F}(2)=5 * \mathrm{x}(1)+\mathrm{x}(1) \wedge 2-3 * \mathrm{x}(2)-5$
end
$x 0=\left[\begin{array}{ll}3 & 5\end{array}\right]$
$\mathrm{Q}=$ fun05(x0)
$\mathrm{Q}=\left[\begin{array}{ll}35 & 4\end{array}\right]$ \% This means that $\mathrm{F}(1)=35$ and $\mathrm{F}(2)=4$ when $x 1=3$ and $x 2=5$

## 18-Using MATLAB fsolve function

```
function F=fun05(x)
% Here we have two functions F(1) and F(2)
% functions of x1 and x2 to be solved together
% to find x1 and x2 when F(1) and F(2) are zeros
% Notice that if one operates this function with two
different values of xl and
% x2, the function calculate F(1) and F(2)
    F(1)=x(1)+2*x(1)*x(2)+x(2)^2-23
F}(2)=5*x(1)+x(1)^2-3*x(2)-
end
% test for fsolve with function func05
clc
clear
x0=[[1 5}
F0=fun05 (x0)
    [x F1]= fsolve(@(x) fun05(x),x0)
% if you do not want to see the function values
% just write x=fsolve (@(x)fun05(x), x0)
```

$x=\left[\begin{array}{ll}2 & 3\end{array}\right]$ \% this the solution of the above two equations

## 19-Additional topics

* More about Input and output for MATLAB

More about graphics

* More useful functions such as ezplot, fzero, feval, interpt, spline, quard, etc
* In-line functions
* Anonymous functions


## Water properties at saturation



Q=water_tpp_Incrop(30)
$Q$ is a vector of length 14 for al water properties at saturation

For example (liquid water specific heat)
Cp_I=Q(5)=4.1783 kJ/kg.K

## Dry air properties

```
function [V]=dryair_tpp_Incrop(tempC)
% [V]=dryair_tpp_Incrop(tempC)
% dryair prpoerties at atmospheric pressure from Incropera heat transder book 7t
% edition
% [V]=dryair_tpp_Incrop(tempC)
% V (1)=rhoi;
% V(2)=Cpi;
% V(3)=mui;
% V(4)=ki;
% V(5)=alphai;
% V(6)=Pri;
tempK=tempC+273.15
T=[\begin{array}{llllllllllllllllllllll}{100}&{150}&{200}&{250}&{300}&{350}&{400}&{450}&{500}&{550}&{600}&{650}&{700}&{750}&{800}&{850}&{900}&{950}&{\ldots}\end{array}]
    1000 1100 1200 1300 1400 1500 1600 1700 1800 1900 2000 2100 2200 ...
    2300 2400 2500 3000];
% T in Kelvin
```

Example:
A=dryair_cpp_Incrop(30) Will give a vector of length 6

The specific heat of air at 30 C is rho_ $a=A(2)=1.0071 \mathrm{~kJ} / \mathrm{kg}$. K

## Friction factor

```
function y=frictionf_2020(Re)
% y=frictionf_2020(Re)
% with Re as input this function calculate the friction factor for
% either laminar or turbulent flows
% using the information from Incropera
% for laminar and turbulent in smooth pipe
if Re < 2300
disp([' from frictionf_2020 Flow is laminar Re= ',num2str(Re)])
    ff=64/Re
elseif Re >= 2300
    disp([' from frictionf_2020 Flow is turbulent Re= ',num2str(Re)])
ff=(0.79* log(Re)-1.64)^-2
end
y=ff
end
```

f1=friction_2020(1500) will give
f2=friction_2020(5000) will give $\mathrm{f} 2=0.0386$

Circular fin efficiency


## Ref: ASHRAE

## Book of Fundamentals 2013



$\varphi=\frac{2}{u_{b}\left[1-\left(u_{e} / u_{b}\right)^{2}\right]}\left[\frac{l_{1}\left(u_{b}\right)-\beta K_{1}\left(u_{b}\right)}{l_{0}\left(u_{b}\right)+\beta K_{0}\left(u_{b}\right)}\right]$
$\beta=I_{1}\left(u_{\mathrm{e}}\right) / K_{1}\left(u_{\mathrm{e}}\right)$
$u_{b}=\frac{W \sqrt{h / k y_{b}}}{\left(X_{e} / X_{b}-\eta\right)}$
$u_{e}=u_{b}\left(X_{e} / X_{b}\right)$
$u_{e}=u_{b}\left(X_{e} / X_{b}\right)$


## MATLAB program for circular fin efficiency

```
function y=fin_eff_cir(rratio,x)
% filenme fin_eff_cir(rratio,x)
% function to calculate the fin efficiency for
% a circular fin on circular pipe
% the input parameter are % r2_o_r1 ratio of r2/r1
% the paramter W*sqrt(h/ky)=x
% where
% W is r2-r1
% y is half of the fin thickness i.e. t/2
% h is the heat transfer coefficent
% y is half the fin thickness
% k fin thermal conductivity
% all units are in SI
% the reference for this is ASHRAE Handbook of fundamentals
% the heat transfer chapter
% The function uses the Bessel functions I and K
```

eta_f=fin_eff_cir(1.5,0.5)=0.91

## Interpolation example

Fig. 10-94 Finned flat tubes, surface 9.1-0.737-S.


Fin pitch $=9.1$ per in $=358$ per m
Flow passage hydraulic diameter, $4 r_{h}=0.01380 \mathrm{ft}=4.206 \times 10^{-3} \mathrm{~m}$
Fin metal thickness $=0.004 \mathrm{in}$, copper $=0.102 \times 10^{-3} \mathrm{~m}$
Free-flow area/frontal area, $\sigma=0.788$
Total heat transfer area/total volume, $\alpha=224 \mathrm{ft}^{2} / \mathrm{ft}^{3}=735 \mathrm{~m}^{2} / \mathrm{m}^{3}$
Fin area/total area $=0.813$

Data from Kays \& London for tube-fin compact heat exchanger

| Compact HX |  |  |  | continuous fins on flat tube |  |
| ---: | ---: | ---: | :--- | :--- | :--- |
| Surface | $9.1-737 \mathrm{~S}$ |  |  |  |  |
|  |  |  |  |  |  |
| Re | j_H | f |  |  |  |
| 500 | 0.015 | 0.054 |  |  |  |
| 600 | 0.014 | 0.048 |  |  |  |
| 800 | 0.012 | 0.04 |  |  |  |
| 1000 | 0.0105 | 0.036 |  |  |  |
| 1500 | 0.0082 | 0.028 |  |  |  |
| 2000 | 0.0072 | 0.025 |  |  |  |
| 3000 | 0.006 | 0.0205 |  |  |  |
| 4000 | 0.0054 | 0.018 |  |  |  |
| 6000 | 0.0047 | 0.0151 |  |  |  |
| 8000 | 0.0042 | 0.0145 |  |  |  |
| 10000 | 0.0039 | 0.014 |  |  |  |
|  |  |  |  |  |  |
|  |  |  |  |  |  |

## MATLAB program for interpolation

```
Re=[[500 600 800 1000 1500 2000 3000 4000 6000 8000 10000];
j_H=[[llllllllllllllll
f}=[\begin{array}{lllllllllllll}{0.054 0.048}&{0.04}&{0.036}&{0.028}&{0.025}&{0.0205}&{0.018}&{0.0151}&{0.0145}&{0.014}\end{array}]
% Notice that the data is limited by Re 400 and Re 10,000
% you can use 'spline' or 'anymehod' and e'extrap' to make an extrapoltion
% if you omit method, no resuls will be given for Re <500 and Re > 10000
j_1=interpl(Re,j_H,300,'spline') % spline will do extrapolation
j_2=interp1(Re,j_H,12000,'linear','extrap') % extrapolate
j_3=interp1(Re,j_H,300,'pchip') % will do extrapolation
```

